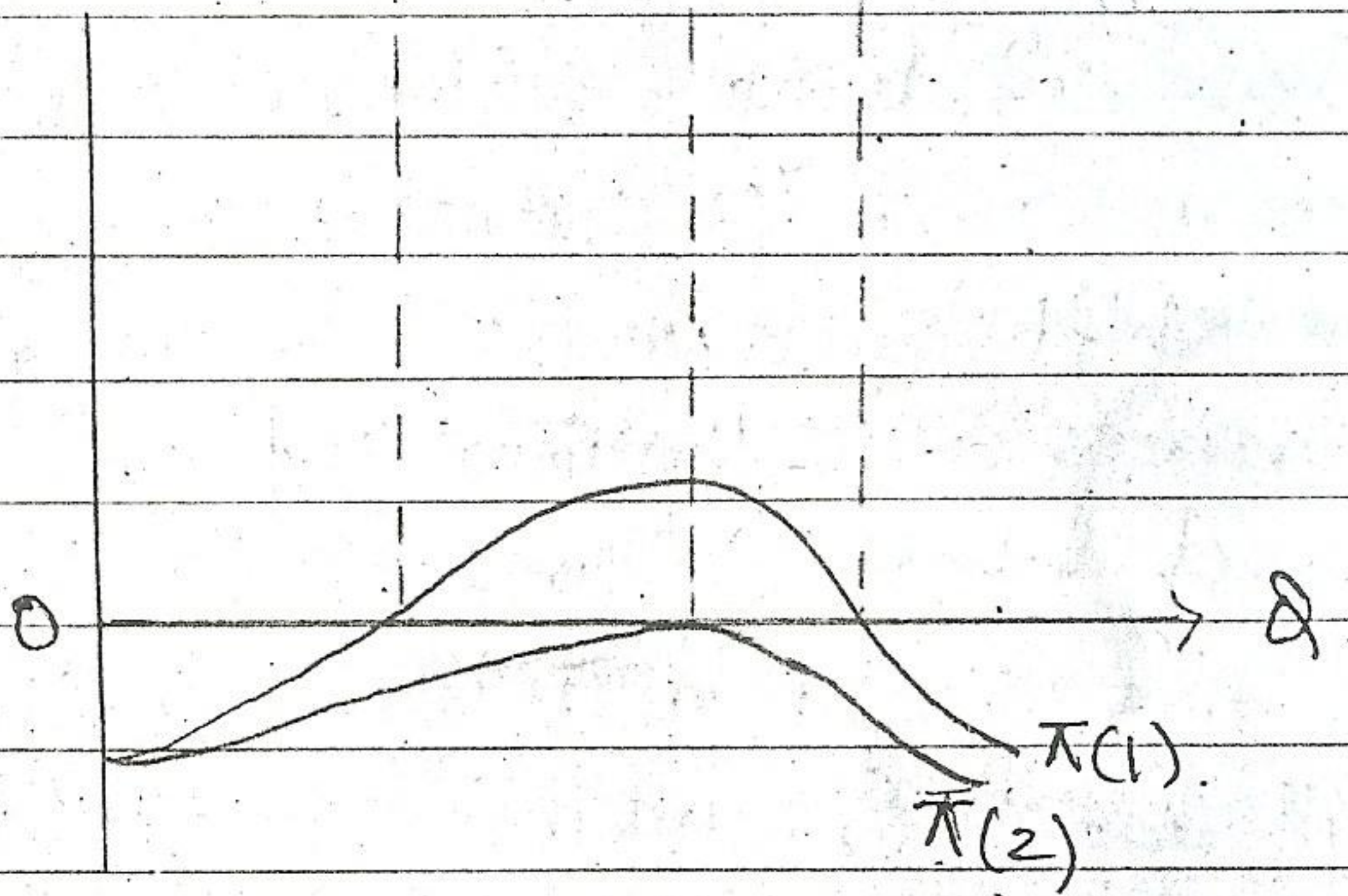
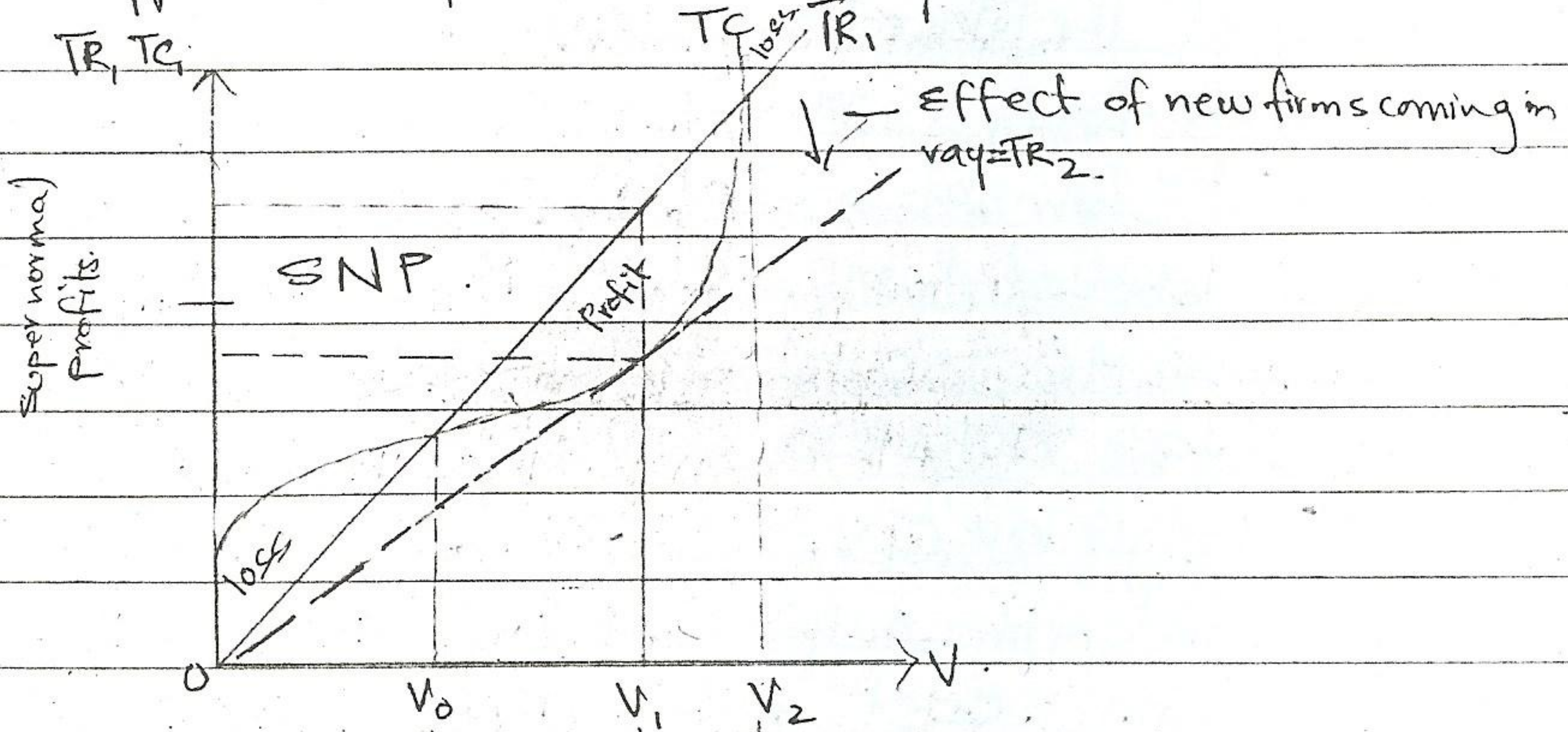


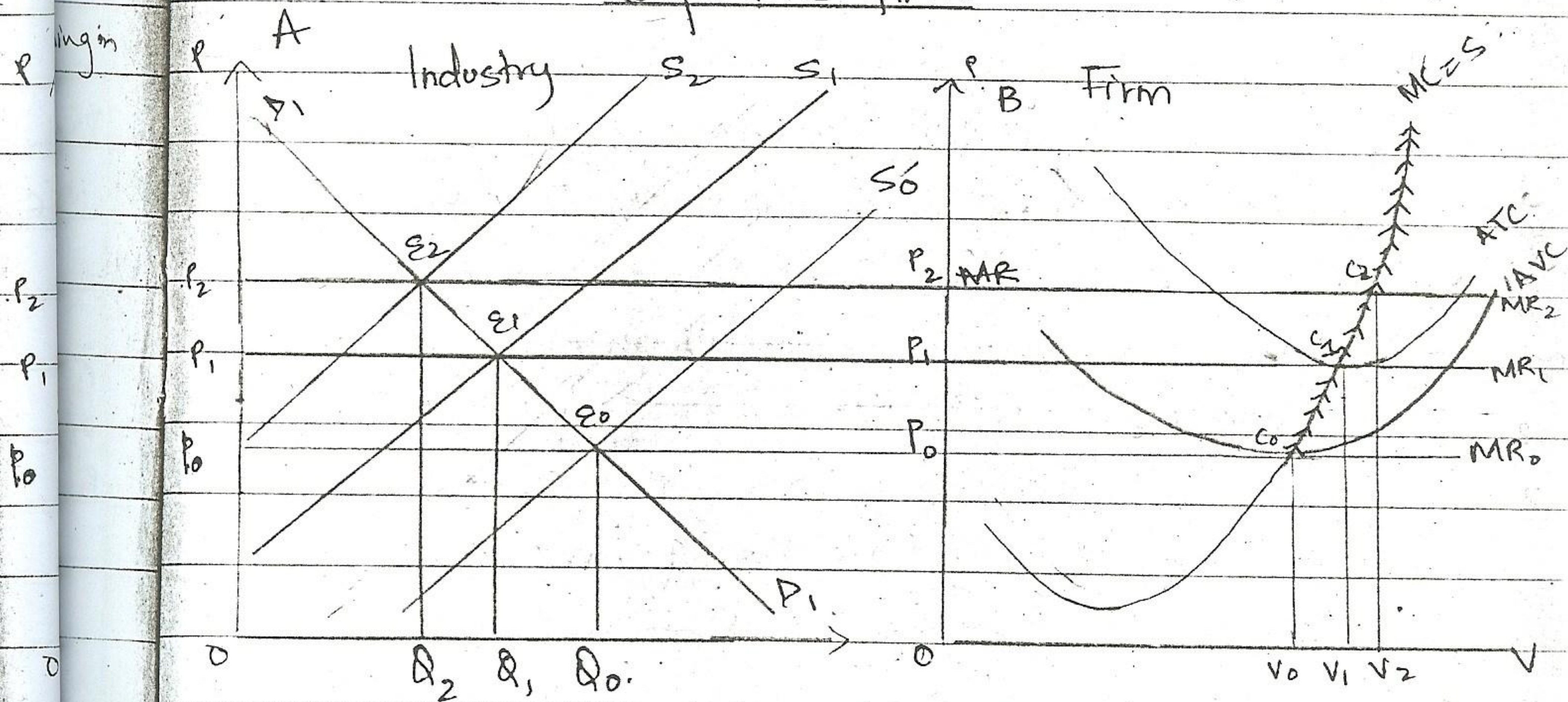
The industry is initially in equilibrium at  $E_1$ , which is determined the intersection of  $D_1$  &  $S_1$ . The equilibrium price is  $P_1$  which is passed on to a typical firm in the form of a perfectly elastic demand curve labelled  $P_1, MR_1$ . The firm is in equilibrium at  $C_1$  where  $MC$  intersects  $MR_1$ , and therefore it produces output level  $OV_1$ . Total revenue equals  $P_1$  rectangle  $OP_1C_1V_1$ . Point  $X$  on the  $AC$  curve corresponds to output level  $OV_1$ , which implies that Total cost equals  $OYXV_1$ . Since  $TC > TR$  it follows that there is a loss of  $P_1YXC_1$ . In the long run losses will trigger exit from the industry and as some firms will leave the industry supply curve will shift backwards causing price to rise. This process will continue until price has risen to a level where all losses are eliminated and remaining firms are breaking even. The final equilibrium will be at  $E_2$  which is determined by the intersection of  $D_1, S_0$ . The equilibrium price is  $P_2$  and a typical firm is in equilibrium at  $C_2$  where  $MC$  cuts  $MR_2$ . The output level produced is  $OV_2$  and since  $AC$  is tangent to  $C_2$  it follows that  $P_2 = AC$  which means  $TR = TC = OP_2C_2V_2$ . Each firm now produces more ( $OV_2 > OV_1$ ) However the industry supply has decrease from  $OQ_1$  to  $OQ_0$  b/c the no. of firms in the industry has decrease

→ Total approach to profit maximization / loss minimization ..



May 03  
June 05

⇒ Deriving the Short run supply curve of a perfectly competitive firm.

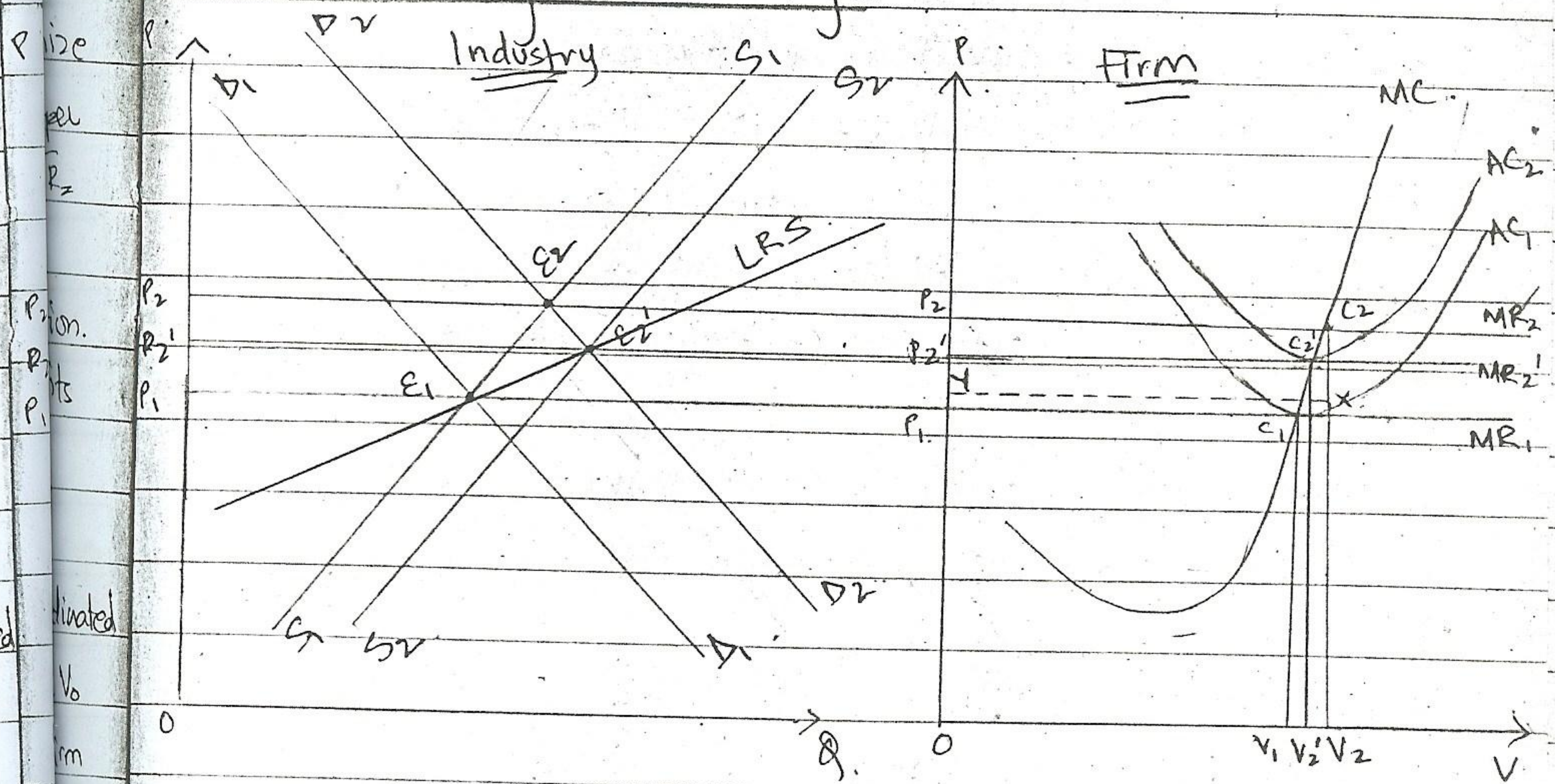


Panel A shows 3 equilibrium levels of a perfectly competitive industry which are  $E_0, E_1$  and  $E_2$ . These result in 3 different prices of  $P_0, P_1$  and  $P_2$  which are transferred to a typical firm shown in Panel B in the form of a perfectly elastic demand curve which are  $MR_0, MR_1$  and  $MR_2$ . Firm will be in equilibrium at all those points where marginal cost intersects these MR functions. These points are  $C_0, C_1$  and  $C_2$  which correspond to output levels  $V_0, V_1$  and  $V_2$ . At  $C_0$ , AVC is tangent which implies that total  $TR = TVC = OP_0C_0V_0$ . Therefore loss equals TFC. In other words  $P_0$  is the minimum price that is acceptable to the firm and TFC is the maximum loss it can sustain. So if price stops drops even

= A cent below  $P_0$ , the firm will instantly shut down and cease production all together. So we can say that  $C_0$  is a shutdown point and  $P_0$  is a shutdown price. On the other hand as price rises above  $P_0$ , it gives firm the opportunity to minimize losses and breakeven b/w  $P_0$  and  $P_1$  and even make super normal profits b/w  $C_1$  and  $C_2$  ( $C_1$  implies normal profit b/c  $TR = TC = OP_1C_1V_1$ ). So we can see that all prices above  $P_0$  firm will move along its MC curve and expand production. So we can conclude "MC curve after it intersects AVE at its minimum becomes the Short Run Supply curve of a perfectly competitive firm. This section of MC curve is plotted in panel C where  $P_0V_0$ ,  $P_1V_1$  and  $P_2V_2$  are coordinated to derive the supply curve. Furthermore, b/w  $P_0V_0$  and  $V_0$  supply curve becomes perfectly elastic suggesting that firm will shutdown if price fell below  $P_0$ .

⇒ long run Supply curve.

Case 1: Increasing Cost Industry.



The perfectly competitive industry is initially in equilibrium at  $E_1$  where industry demand  $D_1$  intersects industry supply  $S_1$ . The equilibrium price is  $P_1$ , which is given to the firm as  $P_1$ ,  $MR_1$  and firm is in equilibrium at  $C_1$  where  $MC$  intersects  $MR_1$ . Since  $AC_1$  is tangent to  $C_1$ , it follows that firm makes normal profit where  $TR = TC = OP_1 C_1 V_1$ . Now there is a permanent increase in demand from  $D_1$  to  $D_2$  which takes equilibrium to  $E_2$ . Equilibrium price is now  $P_2$ ,  $MR_2$  and firm is in equilibrium at  $C_2$  producing output level  $OV_2$ . The point on the  $AC$  curve corresponding to  $V_2$  is  $X$  which lies below price. Therefore firm is making super normal

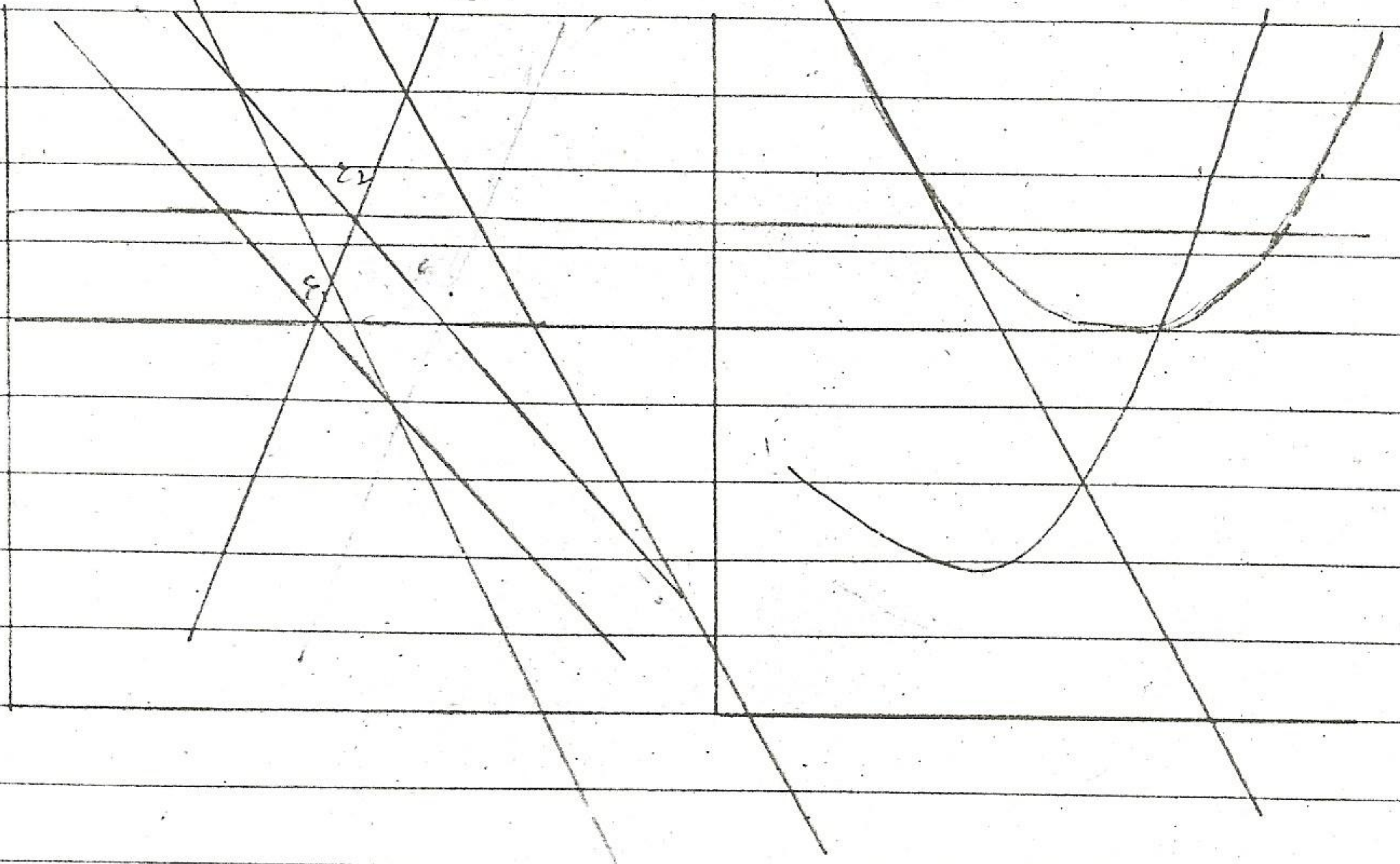
(50)

profit equal to  $P_2 C_2 X Y (OP_2 C_2 V_2 - OY X V_2)$ . Presence of supernormal profits will attract new firms into the industry and as new firms enter not only the industry's supply will shift outwards but average cost facing each firm will also shift upwards. This is so because when more firms enter the industry the demand for industry's resources increases which leads to rise in factor prices and cost of production, due to external diseconomies of scale. The simultaneous shift in industry's supply and AC curve will continue until all supernormal profits are removed and firms revert to breakeven normal profits.

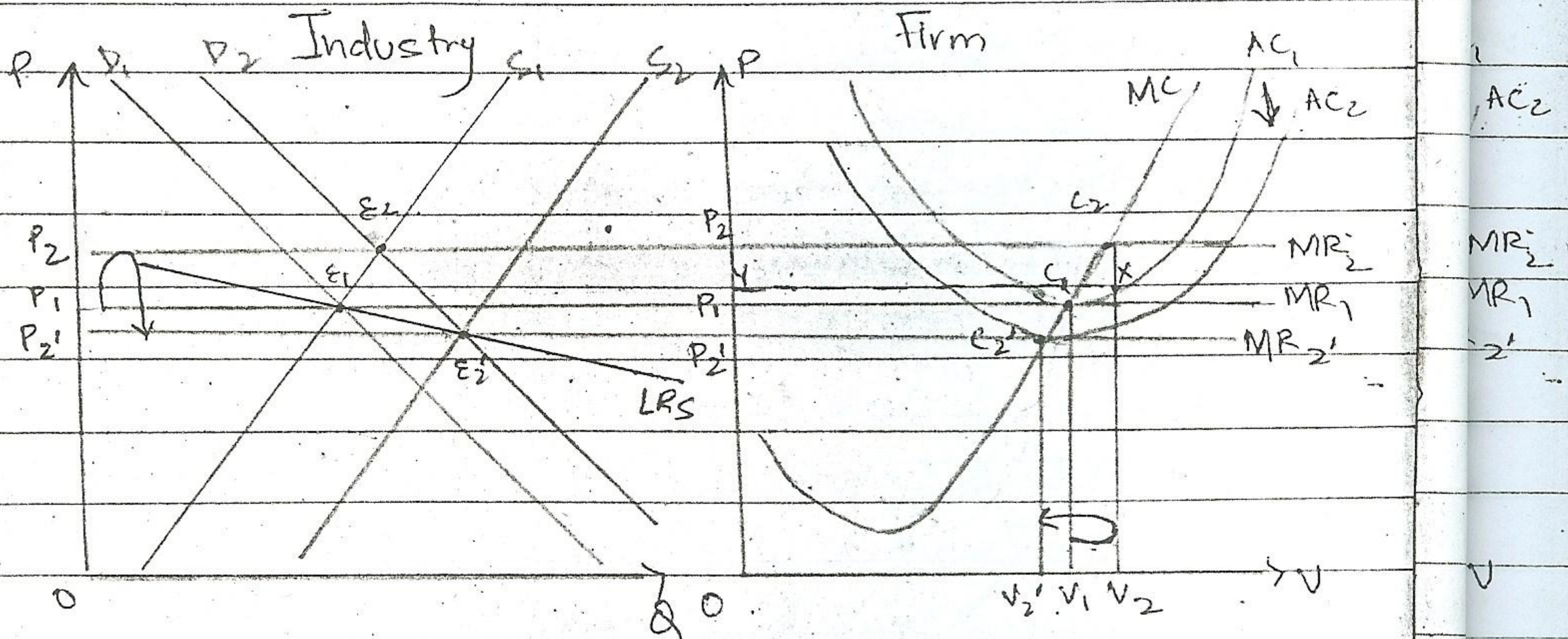
The final equilibrium will be  $E_2'$  which is determined by the intersection of  $D_2$  and  $S_2$ , equilibrium price is  $P_2'$ ,  $MR_2'$  and a typical firm is in equilibrium at  $C_2'$  where  $MR_2' = MC$  cuts  $MR_2'$ . Notice that  $C_2'$  is the longrun breakeven b/c a new AC curve  $AC_2$  is tangent to  $C_2'$  implying that  $TR = TC = OP_2' C_2' V_2'$ . On the industry panel we can connect the two longrun equilibrium points to derive the longrun supply curve of a competitive industry. This is done by connecting  $E_1$  and  $E_2'$  while  $E_2$  will be ignored due to supernormal profits which are not possible in the long run. The upper sloping longrun LRS curve on the industry panel suggests that the industry will produce more in the long run only if price rises b/c it's an increasing cost industry.

characterized by diseconomies of scale / Decreasing returns to scale.

Case 2: Decreasing Cost Industry



Case 2: Decreasing Cost Industry



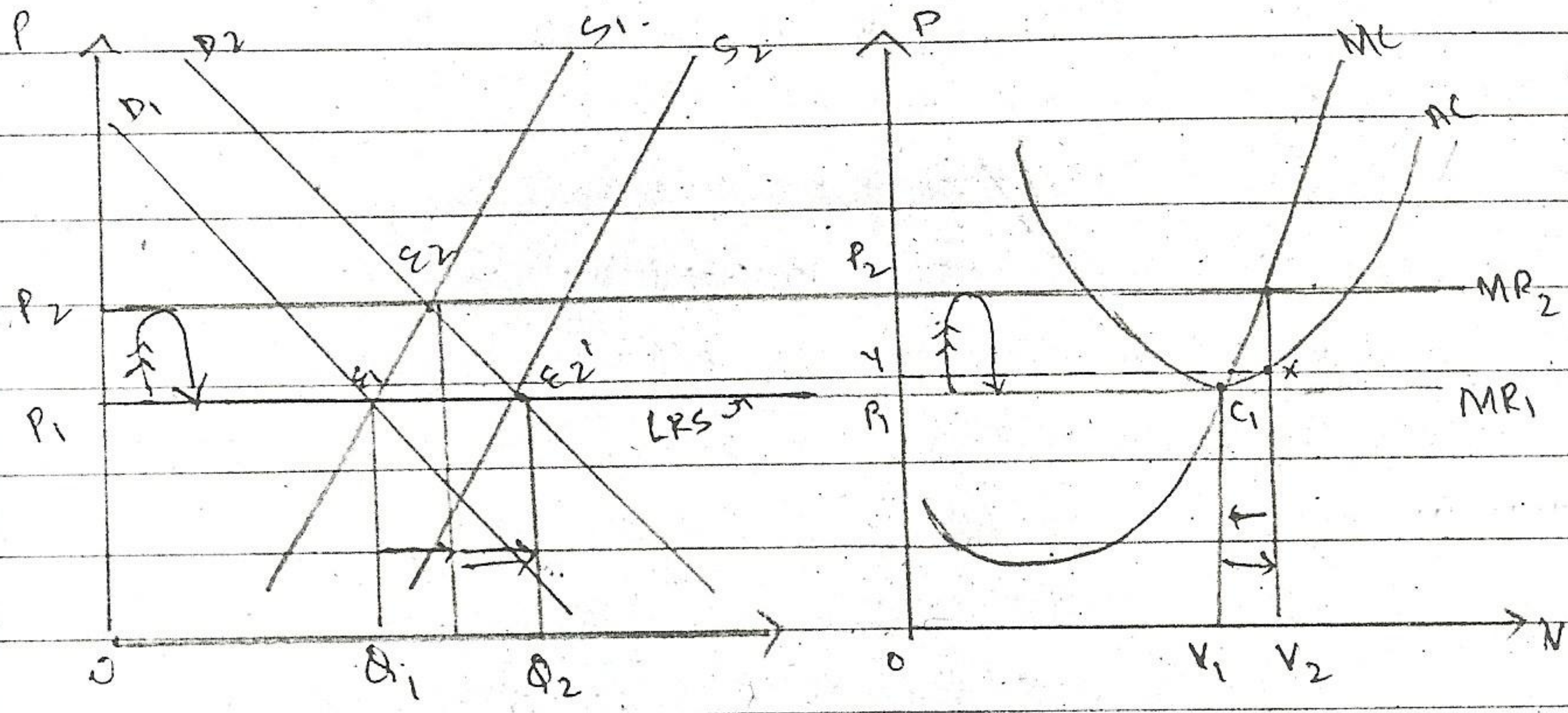
The initial equilibrium is  $E_1$ , where price is  $P_1$ ,  $MR_1$ , and a typical firm is in equilibrium at  $C_1$  making normal profits as  $TR = TC = OP_1C_1V_1$ . Now industry demand rises permanently to  $D_2$  taking price up to  $P_2$ ,  $MR_2$ , a typical firm moves up its  $MC$  to  $C_2$  where it makes supernormal profits equal to  $P_2C_2XY$ . Entry of new firms. Presence of supernormal profits will trigger entry of new firms which not only shifts the supply rightwards but also avg cost down downwards. This is so b/c suppliers of resources/factors of production realize economies of scale which are passed on to both new and old firms. The simultaneous shift in industry's supply and ~~avg~~  $AC$  will continue until all ~~set~~ firms are breaking even i.e. making normal profits. The final



29th Sun

equilibrium will be  $E_2'$  where price is  $P_2'$   $MR_2'$  and a typical firm is in equilibrium at  $C_2'$ . Notice that  $C_2'$  is a longrun equilibrium b/c the new ~~MC~~  $AC$ ,  $AC_0$  is tangent to it. On the industry panel we can connect  $E_1$  and  $E_2'$  to derive the downward sloping longrun supply curve. The downward sloping curve suggests that in the longrun industry will supply more even at lower prices b/c its a decreasing cost industry characterized by economies of scale / increasing returns to scale.

⇒ Constant Cost



(54)

## ⇒ Monopolistic Competition

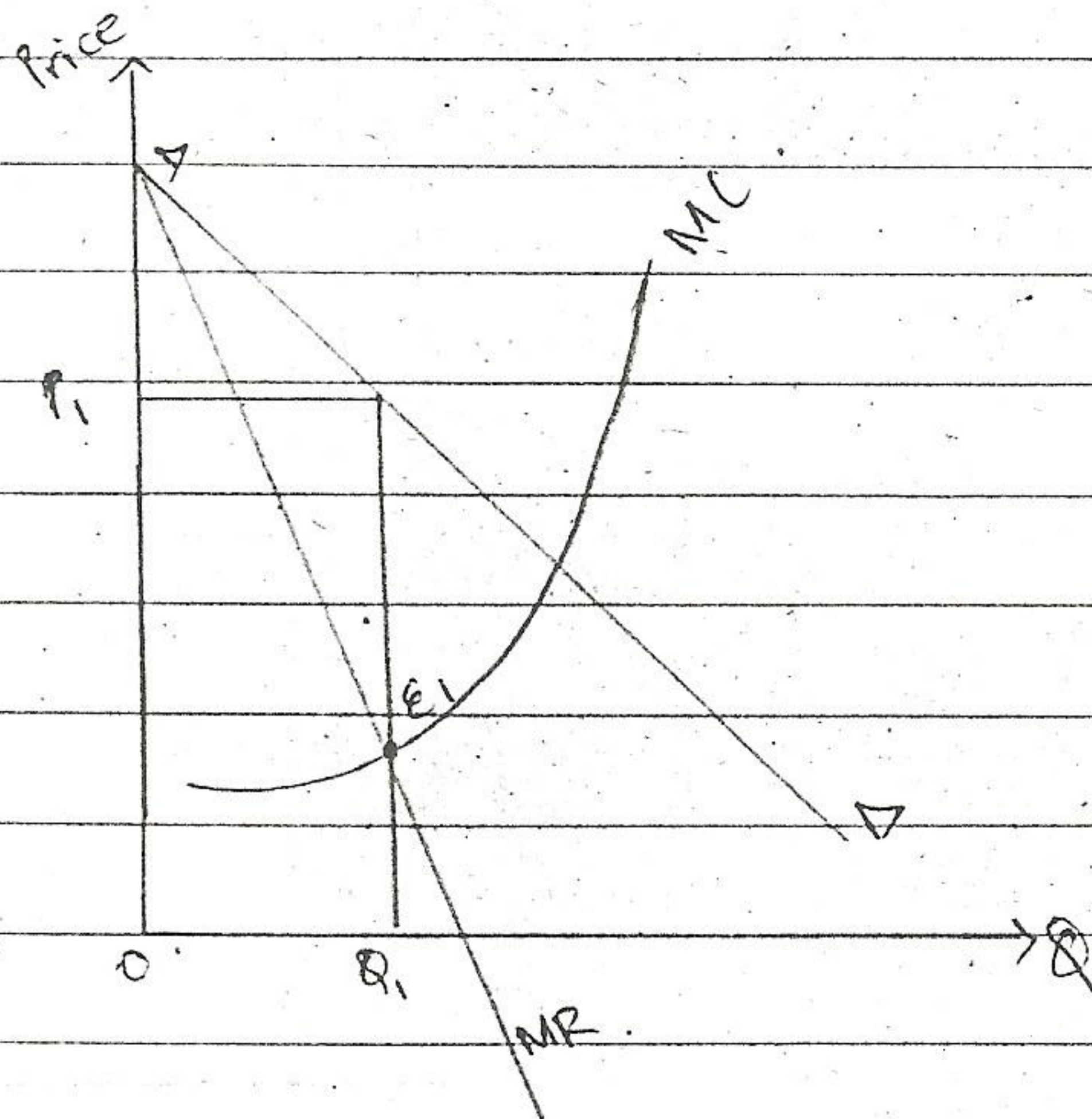
It is a market structure with the following set of assumptions:

- There are large numbers of buyers and sellers in the market.
- Each firm produces a good which is a very close substitute to goods produced by its rival firms. In other words there is product differentiation under monopolistic competition but the degree of product differentiation is very low.
- There are no barriers to entry and exit, therefore, when industry makes supernormal profits then more firms will enter and when profits are subnormal firms will exit.
- In the long run all monopolistically competitive firms make normal profits.

### → Profit maximisation under monopolistic competition:

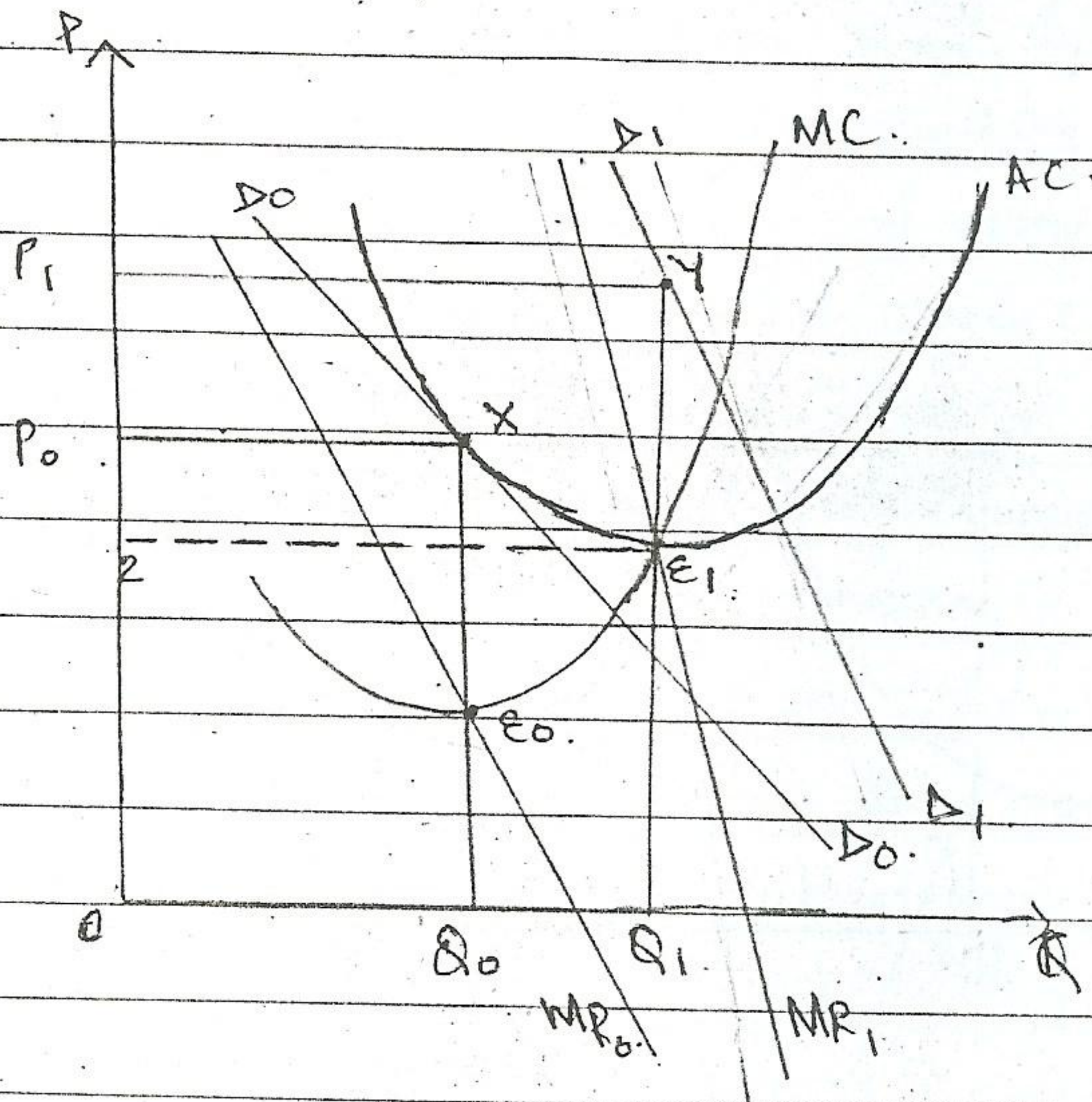
A firm under monopolistic competition will maximise profits by equating marginal cost to marginal revenue. However, marginal revenue no longer coincides in price as demand curve is not perfectly elastic. In other words we are saying that firm under monopolistic competition ~~can~~ becomes a price maker (to a small extent) which implies that every time it wants to sell more, it must reduce price which will make the firm lose revenue on the preceding units which could have been sold at a higher price. Therefore, net marginal revenue becomes the difference b/w gain and revenue from additional

these units sold and loss of revenue on preceding units which could have been sold at a higher price.



The diagram above shows that a monopolistically competitive firm will maximise profits by equating MC to MR at  $E_1$ . This results in equilibrium output of  $OQ_1$  and equilibrium price of  $OP_1$  (Price is always present in the demand curve which is why  $E_1$  is extended upto the demand curve,).  $Q_1$  could be a profit maximising level or a loss minimising level depending on the position of AC curve. In the short run a firm can make supernormal profits or subnormal profits but in the long run firm will always breakeven.

→ Case 1 : From Super normal Profits to Breakeven/normal Profits.



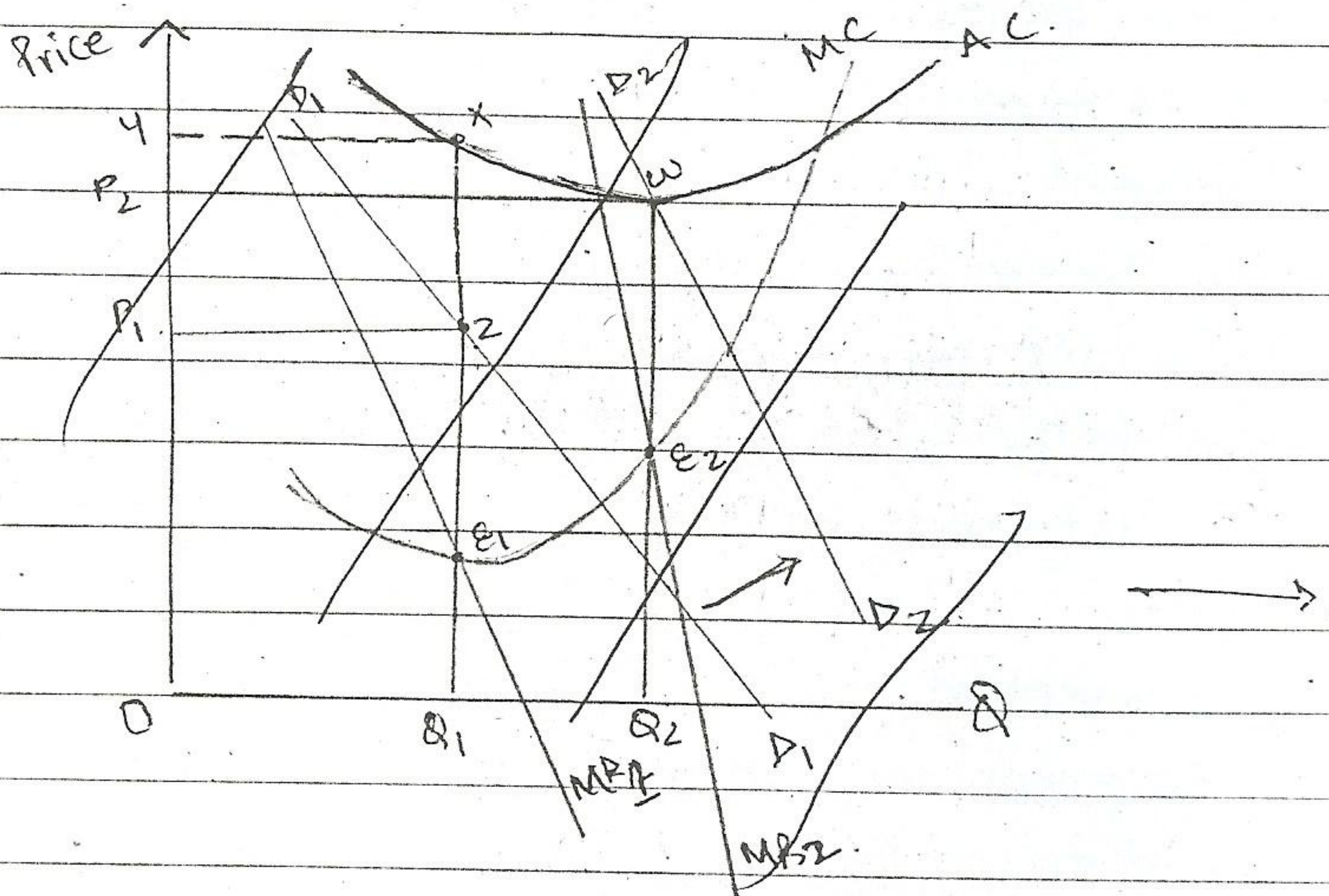
The demand curve faced by the firm is  $D_1$  with its corresponding MR curve,  $MR_1$ . Firm is in equilibrium at  $E_1$  where  $MC$  cuts  $MR_1$  and this results in Equilibrium price of  $OP_1$  and equilibrium output of  $OQ_1$ . Total Revenue generated by the firm is equal to  $OP_1 Y Q_1$  while total cost equals  $OZ E_1 Q_1$ . (notice that point  $E_1$  also lies on  $AC$  and corresponds to output level  $OQ_1$ ). Since total revenue is greater than total cost, the difference b/w them becomes super normal profit which is equal to  $P_1 Y E_1 Z$ . Presence of super normal profits will trigger entry of new firms. This will reduce the market share for existing firms causing their demand curves to not only shift inwards but also become

relatively elastic due to increase in the number of substitutes. This process will continue until enough firms have entered to wipe out all supernormal profits. The final equilibrium will be  $E_0$  for a typical firm where MC cuts  $MR_0$ , the equilibrium price is  $OP_0$  and equilibrium output is  $OQ_0$ . We can also see that price  $OP_0$  is exactly equal to AC of  $XQ_0$  which implies that  $TR = TC = OP_0 \times OQ_0$  (normal profits).

#### • Monopolistic Competition and Efficiency:

The long run adjustment has caused the firm to move from the minimum point on its AC curve  $E_1$  to point X where there is excess capacity. Since this outcome applies to most other firms in the industry it follows that most other monopolistic competition can become productively inefficient in the long run. In other words, instead of a few firms supplying the market by optimizing on capacity there are many firms present, each working below its capacity and wasting resources which results in inefficiency. However, the counter argument by those who favour monopolistic competition is that fall in price, increase in choice and variety and competitiveness in the market improves consumer welfare and that offsets the loss of productive efficiency. This argument is a normative one as welfare is not an observable phenomenon.

Case 28 From subnormal profits to Breakeven.



Short Run

$P_1 MR_1$

$E_{qb} = E_1$

$Price = P_1$

$Q_{nty} = Q_1$

$TR = OP_1 Z Q_1$

$TC = OY X Q_1$

$Loss = Y X Z P_1$

Long Run

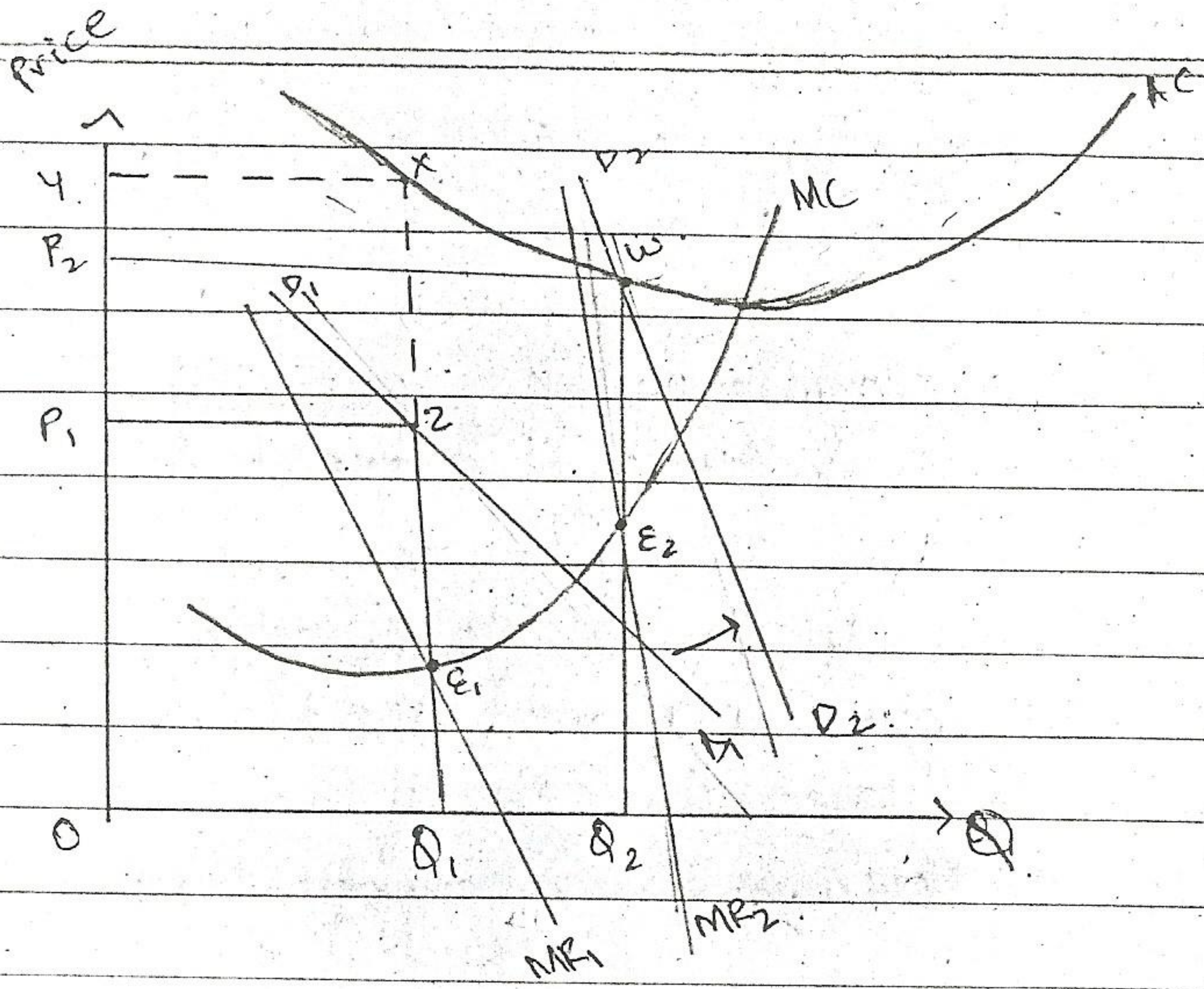
Firms leave: Demand shifts out and becomes more inelastic. Process goes on till all losses are gone. Final

eqb will be  $E_2$  where  $MC = MR_2$

$Price = P_2, Q_{nty} = Q_2$

$AC = OP_2 = WQ_2$

$\therefore TR = TC = OP_2 W Q_2$  (normal profits)





## Oligopoly

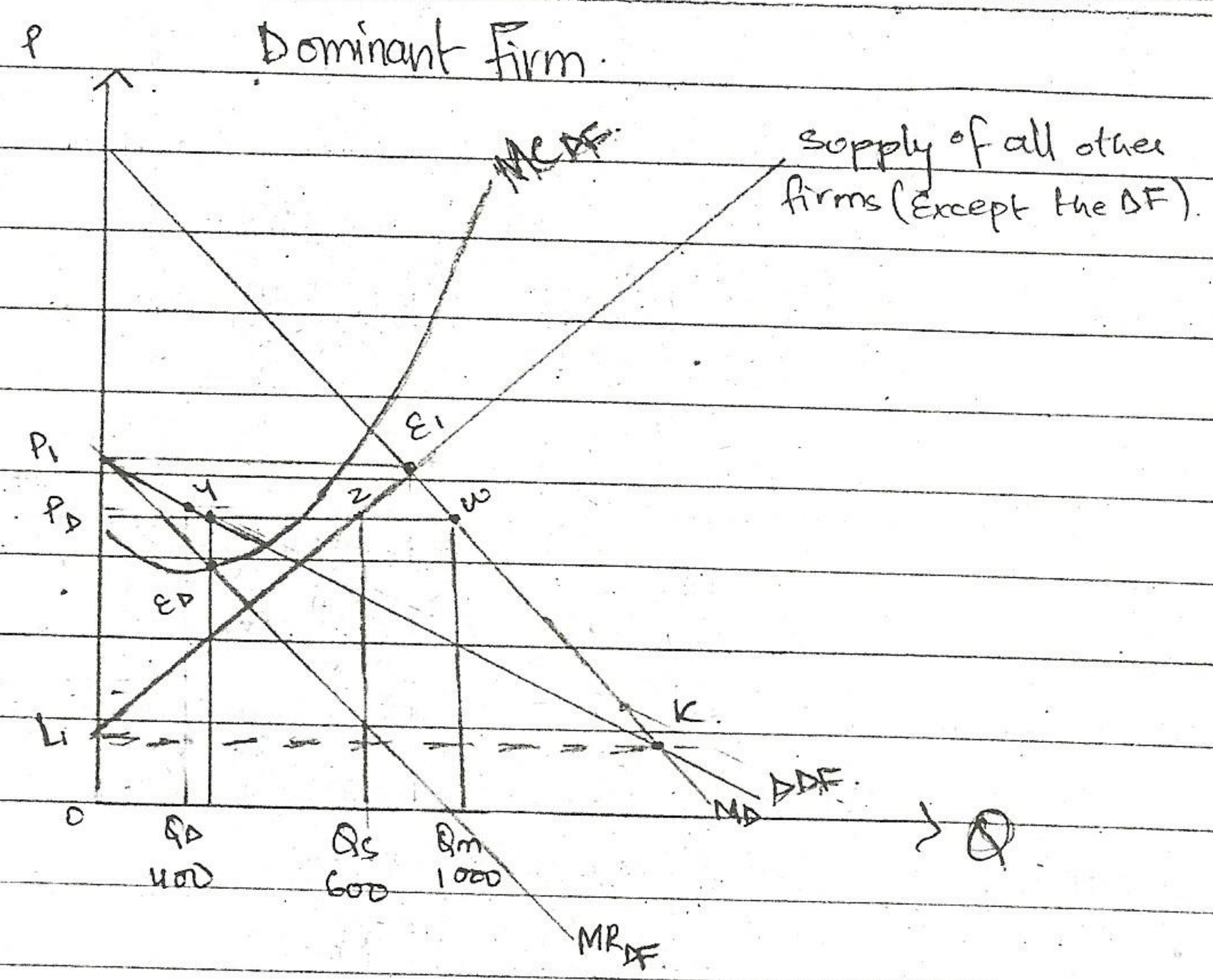
Oligopoly is a market structure where there are a few large firms dominating the market. These firms are interdependent in terms of different facets of business like output, advertising, research and development, pricing policy etc. In other words, if one firm changes any of these above mentioned variables, other firms in reaction are also likely to change them.

A more narrow down version of oligopoly becomes duopoly when market is dominated by two big firms who are extremely interdependent. For eg. coke and pepsi, apple and microsoft, Gillette and schick. Different models of oligopoly have been put forward to show how equilibrium price and output are determined. These some of these models are as follows;

- 1) Dominant firm oligopoly.
- 2) Collusive Oligopoly (Cartel)
- 3) Kinked Demand Curve Model.
- 4) Game Theory.



①



The diagram above shows how price and output are determined under conditions of dominant firm oligopoly. MD is the market demand curve which is intersected at pt  $E_1$  by supply of all other firms except the dominant firm. The equilibrium price  $P_1$  would exist if there was no dominant firm. At the same time  $P_1$  becomes a pt on the demand curve of the dominant firm where it sells a quantity b/c the entire market is captured by all other firms. Conversely price of  $L_1$  is the first pt on supply of all other firms suggesting that at this price all other firms will supply 0 to the market. This implies that at  $L_1$ , the entire market will be captured by the dominant firm. If we extend pt  $L_1$  to the market demand curve, we get point  $K$ , which is the last point on the

(62)

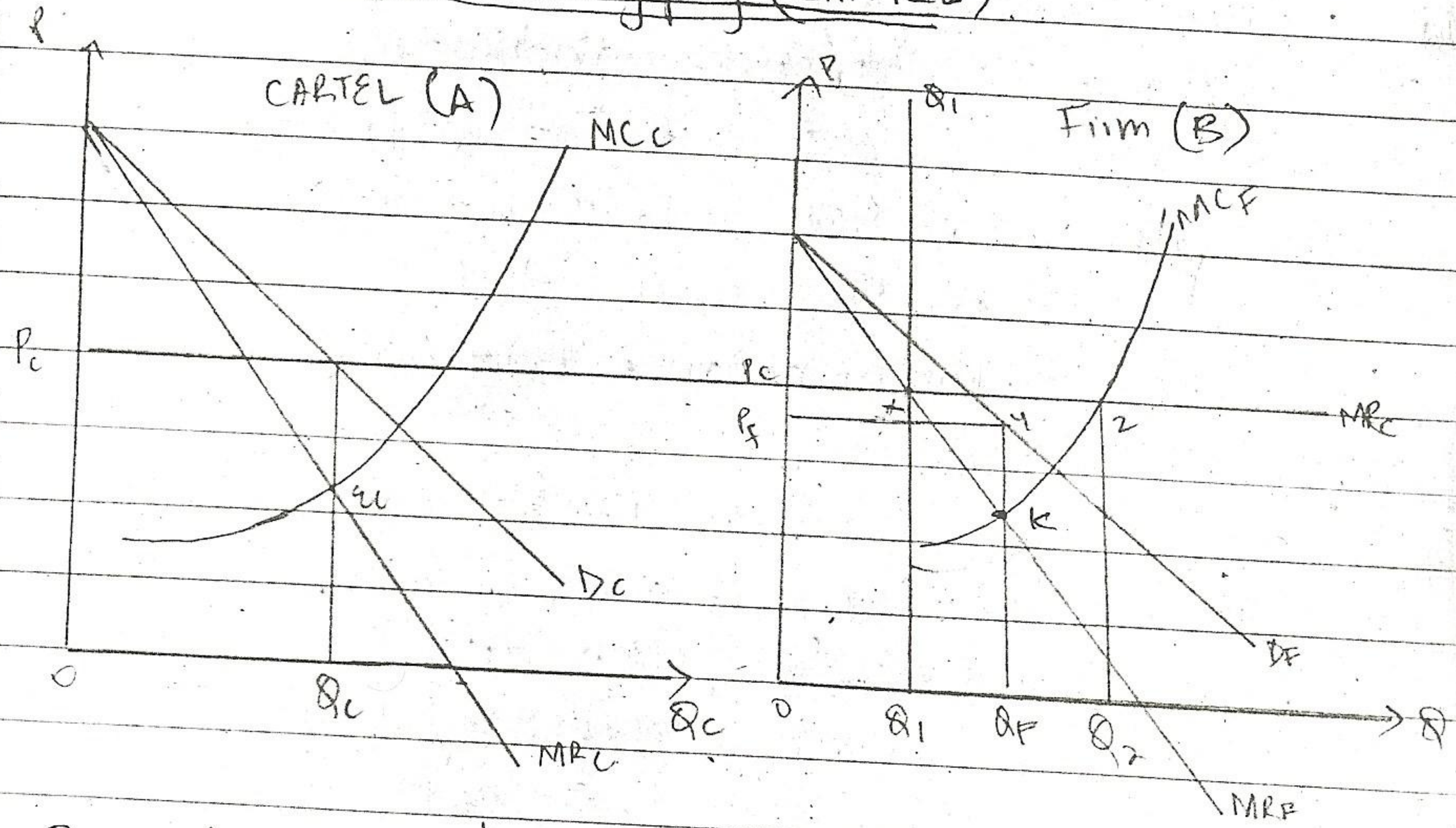
demand curve of the dominant firm where it captures the whole market. So we can derive the demand curve of the dominant firm by connecting points  $P_1$  and  $k$  which gives us  $DDF$  along with the corresponding  $MRDF$ . The dominant firm will follow its own profit maximising rule of equating  $MR$  to  $MC$  which occurs at pt  $E_D$  where  $MC_{DF}$  intersects  $MR_{DF}$ . When we bring  $E_D$  down to the quantity axis we get  $Q_D$  which is the quantity produced by the dominant firm and taking  $E_D$  up to the demand curve gives us pt  $Y$  which corresponds to the price  $P_D$  set by the dominant firm. The price  $P_D$  will also be extended to the supply curve of all other firms b/c they act like price takers. This gives us point  $Z$  which corresponds to  $OQ_S$ , the quantity produced by all other firms. Horizontal summation of  $OQ_D$  and  $OQ_S$  gives us  $OQ_M$  which is the total market demand at the price  $P_D$  set by the dominant firm.

$$OQ_D + OQ_S = OQ_M$$

If dominant firm experiences a fall in cost of production and its marginal cost shifts to the right, then market price will fall which will cause contraction along the supply curve of all other firms but extension along the  $DD$  curve. As a result the market share of dominant firms will increase and so will the size of market. However, the market share of all other

firms will decrease. The exact opposite will happen if dominant firm experiences a rise in its ~~rate~~<sup>cost</sup> which will shift MC upwards.

Collusive Oligopoly (CARTEL)



Panel A shows demand curve for Cartel  $D_c$  and the corresponding MR curve  $MR_c$ .  $D_c$  and  $MR_c$  have been derived by horizontal summation of all the demand curves of all those firms which are part of Cartel. Similarly, marginal cost of Cartel,  $MC_c$  is derived by adding up ~~the~~ MC curves of all member firms. Cartel maximises profit at pt  $E_c$  where it MC intersects MR. Thus, Cartel output is  $OQ_c$  and Cartel price is  $OP_c$ . This price is transferred to a typical member firm shown in panel B. in the form of a perfectly elastic demand curve  $P_c$ ,  $MR_c$ . This is so b/c each

member firm will now act like a price taker. Furthermore, each member firm will be given an output quota which is represented by a perfectly inelastic supply curve  $Q_1, Q_1$  in panel B. So, a typical firm under Cartel agreement is required to produce  $Q_1$  and charge  $OP_C$  per unit, which results in Total Revenue of  $OP_C \times Q_1$ . Cartels are risky b/c they also provide an incentive to cheat and if one member firm cheats then others will follow suit and Cartel will eventually collapse. A typical firm can cheat in the following two ways:

- ① It can cheat on price & quantity by undercutting Cartel's price. For example firm in panel B can equate its MC  $MC_F$  to marginal revenue  $MR_F$  at point K which will lead to price of  $OP_F$  and quantity of  $OQ_F$ . This will result in Total Revenue of  $OP_F \times OQ_F$  which should be greater than  $OP_C \times Q_1$ . It must be noticed that the opportunity to generate extra revenue emerges only after cartel has been formed b/c that will make demand for an individual firm extremely elastic to downward changes in price. If the same opportunity existed before Cartel then firm wouldn't have joined Cartel in the first place. However, cheating on price can be very risky b/c consumers will carry evidence around that firm has undercut the Cartel set price of  $OP_C$ .

- (2) Alternatively, firm could act like a real price taker by equating its marginal cost  $MC_F$  to  $MR_C$  at point 2. This will further total revenue to  $OP_2 OQ_2$  but at the same time, the volume by which firm cheats also increases from  $OQ_F - OQ_1$  to  $OQ_2 - OQ_1$ . If Cartel comprises only a few large firms then such a change in quantity is likely to exert downward pressure on price and soon markets will show signs of surplus.

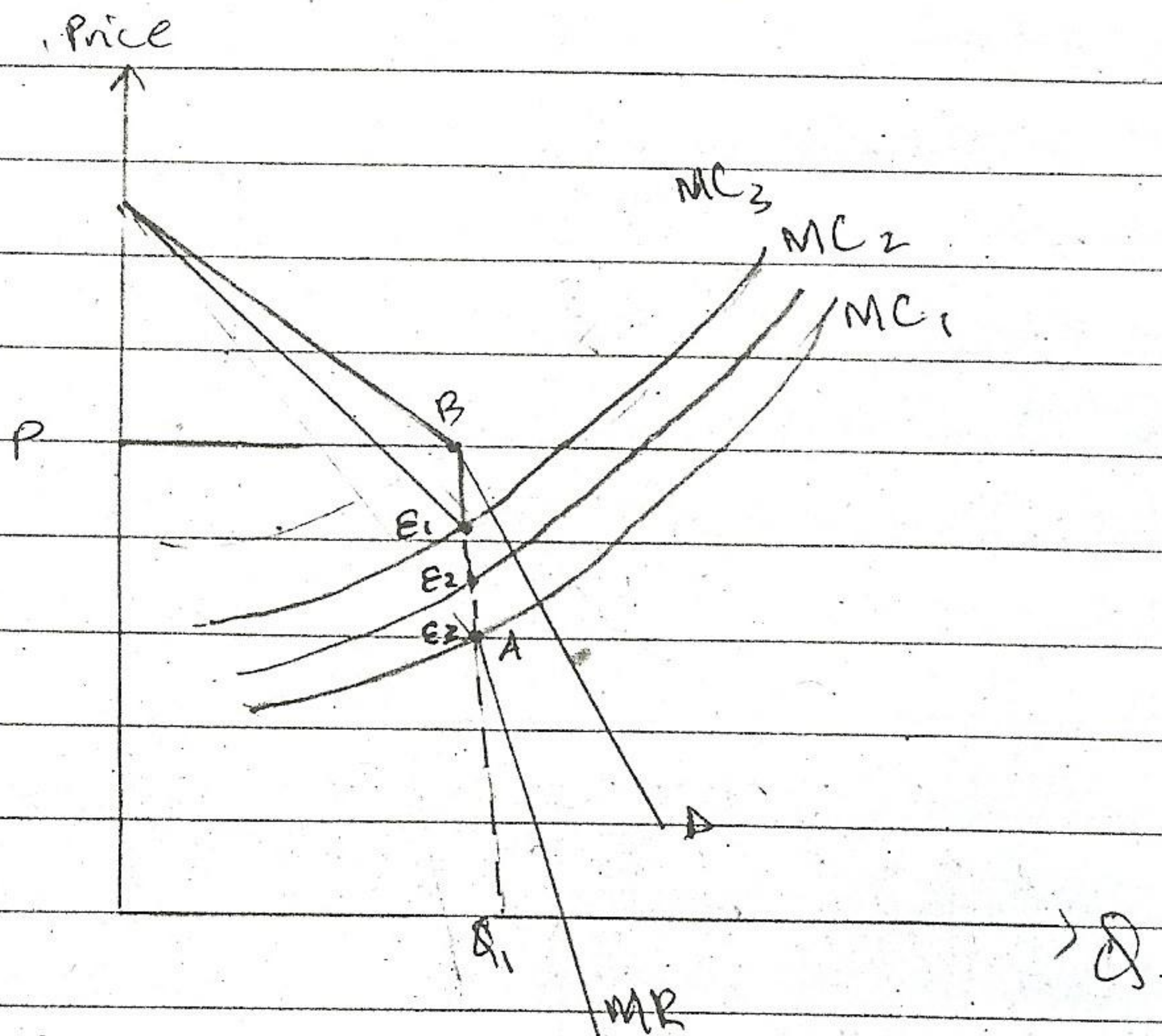
Cartels are very difficult to sustain b/c they require following conditions to be met:

- (1) The product should be as standardized as possible b/c strong product differentiation can create brand loyalty which will give some firms a competitive edge over their rivals.
- (2) Member firms should also have similar cost structures otherwise it will become difficult for them to agree on a common price.
- (3) The quota output allotted to each firm should be in proportion to the market share held by the firm if cartel was made. Any underallocation will increase the incentive to cheat.
- (4) All large firms under oligopoly must become members of cartel. If a large producer is left out then it will always threaten the existence of cartel by undercutting price.

(66)



## Kinked Demand Curve



- Kinked demand curve model is a non-collusive oligopoly where market is dominated by two large firms. These two firms are interdependent in terms of price, output, advertising and other aspects of business. According to the kinked demand curve model each firm makes the following two assumptions about the reaction of its rival:
- 1) If I decrease price, my rival will also decrease and there will be no significant increase in quantity sold. Therefore decrease in price will decrease total revenue implying that demand is inelastic for a downward change in price.
  - 2) If I increase price my rival firm will not match the